

Package ‘isotone’

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Type Package

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Description Contains two main functions: one for solving general isotone regression problems using the pool-adjacent-violators algorithm (PAVA); another one provides a framework for active set methods for isotone optimization problems with arbitrary order restrictions. Various types of loss functions are prespecified.

Imports graphics, stats, nnls

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activeSet	<i>Active Set Methods for Isotone Optimization</i>
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Description

Isotone optimization can be formulated as a convex programming problem with simple linear constraints. This functions offers active set strategies for a collection of isotone optimization problems pre-specified in the package.

Usage

```
activeSet(isomat, mySolver = "LS", x0 = NULL, ups = 1e-12, check = TRUE,
maxiter = 100, ...)
```

Arguments

isomat	Matrix with 2 columns that contains isotonicity conditions, i.e. for row i it holds that fitted value i column 1 $\leq$ fitted value i column 2 (see examples)
mySolver	Various functions are pre-defined (see details). Either to function name or the corresponding string equivalent can be used. For user-specified functions fSolver with additional arguments can be used (see details as well).
x0	Feasible starting solution. If NULL the null-vector is used internally.
ups	Upper boundary
check	If TRUE, KKT feasibility checks for isotonicity of the solution are performed
maxiter	Iteration limit
...	Additional arguments for the various solvers (see details)

Details

The following solvers are specified. Note that `y` as the vector of observed values and weights as the vector of weights need to be provided through `...` for each solver (except for `fSolver()` and `sSolver()`). Some solvers need additional arguments as described in the corresponding solver help files. More technical details can be found in the package vignette.

The pre-specified solvers are the following (we always give the corresponding string equivalent in brackets): `lsSolver()` ("LS") for least squares with diagonal weights, `aSolver()` ("asyLS") for asymmetric least squares, `dSolver()` ("L1") for the least absolute value, `eSolver()` ("L1eps") minimizes l1-approximation. `hSolver()` ("huber") for Huber loss function, `iSolver()` ("SILF") for SILF loss (support vector regression), `lfSolver()` ("GLS") for general least squares with non-diagonal weights, `mSolver()` ("chebyshev") for Chebyshev L-inf norm, `oSolver()` ("Lp") for L-p power norm, `pSolver()` ("quantile") for quantile loss function, and finally `sSolver()` ("poisson") for Poisson likelihood.

`fSolver()` for user-specified arbitrary differentiable functions. The arguments `fobj` (target function) and `gobj` (first derivative) must be provided plus any additional arguments used in the definition of `fobj`.

Value

Generates an object of class `activeset`.

<code>x</code>	Vector containing the fitted values
<code>y</code>	Vector containing the observed values
<code>lambda</code>	Vector with Lagrange multipliers
<code>fval</code>	Value of the target function
<code>constr.vals</code>	Vector with the values of isotonicity constraints
<code>Alambda</code>	Constraint matrix multiplied by <code>lambda</code> (should be equal to gradient)
<code>gradient</code>	Gradient
<code>isocheck</code>	List containing the KKT checks for stationarity, primal feasibility, dual feasibility, and complementary slackness (≥ 0 means feasible)
<code>niter</code>	Number of iterations
<code>call</code>	Matched call

Author(s)

Jan de Leeuw, Kurt Hornik, Patrick Mair

References

de Leeuw, J., Hornik, K., Mair, P. (2009). Isotone optimization in R: Active Set methods and pool-adjacent-violators algorithm. *Journal of Statistical Software*, 32(5), 1-24.

See Also

[gpava](#), [lsSolver](#), [dSolver](#), [mSolver](#), [fSolver](#), [pSolver](#), [lfSolver](#), [oSolver](#), [aSolver](#), [eSolver](#), [sSolver](#), [hSolver](#), [iSolver](#)

Examples

```
## Data specification
set.seed(12345)
y <- rnorm(9)          ##normal distributed response values
w1 <- rep(1,9)         ##unit weights
Atot <- cbind(1:8, 2:9) ##Matrix defining isotonicity (total order)
Atot

## Least squares solver (pre-specified and user-specified)
fit.ls1 <- activeSet(Atot, "LS", y = y, weights = w1)
fit.ls1
summary(fit.ls1)
fit.ls2 <- activeSet(Atot, fSolver, fobj = function(x) sum(w1*(x-y)^2),
gobj = function(x) 2*drop(w1*(x-y)), y = y, weights = w1)

## LS vs. GLS solver (needs weight matrix)
set.seed(12345)
wvec <- 1:9
wmat <- crossprod(matrix(rnorm(81),9,9))/9
fit.wls <- activeSet(Atot, "LS", y = y, weights = wvec)
fit.gls <- activeSet(Atot, "GLS", y = y, weights = wmat)

## Quantile regression
fit.qua <- activeSet(Atot, "quantile", y = y, weights = wvec, aw = 0.3, bw = 0.7)

## Mean absolute value norm
fit.abs <- activeSet(Atot, "L1", y = y, weights = w1)

## Lp norm
fit.pow <- activeSet(Atot, "Lp", y = y, weights = w1, p = 1.2)

## Chebyshev norm
fit.che <- activeSet(Atot, "chebyshev", y = y, weights = w1)

## Efron's asymmetric LS
fit.asy <- activeSet(Atot, "asyLS", y = y, weights = w1, aw = 2, bw = 1)

## Huber and SILF loss
fit.hub <- activeSet(Atot, "huber", y = y, weights = w1, eps = 1)
fit.svm <- activeSet(Atot, "SILF", y = y, weights = w1, beta = 0.8, eps = 0.2)

## Negative Poisson log-likelihood
set.seed(12345)
yp <- rpois(9,5)
x0 <- 1:9
fit.poi <- activeSet(Atot, "poisson", x0 = x0, y = yp)

## LS on tree ordering
```

```

Atree <- matrix(c(1,1,2,2,2,3,3,8,2,3,4,5,6,7,8,9),8,2)
Atree
fit.tree <- activeSet(Atree, "LS", y = y, weights = w1)

## LS on loop ordering
Aloop <- matrix(c(1,2,3,3,4,5,6,6,7,8,3,3,4,5,6,6,7,8,9,9),10,2)
Aloop
fit.loop <- activeSet(Aloop, "LS", y = y, weights = w1)

## LS on block ordering
Ablock <- cbind(c(rep(1,3),rep(2,3),rep(3,3),rep(4,3),rep(5,3),rep(6,3)),c(rep(c(4,5,6),3),
rep(c(7,8,9),3)))
Ablock
fit.block <- activeSet(Ablock, "LS", y = y, weights = w1)

## Isotone LS regression using gpava and active set (same results)
pava.fitted <- gpava(y = y)$x
aset.fitted <- activeSet(Atot, "LS", weights = w1, y = y)$x
mse <- mean((pava.fitted - aset.fitted)^2)
mse

```

aSolver

Asymmetric Least Squares

Description

Minimizes Efron's asymmetric least squares regression.

Usage

```
aSolver(z, a, extra)
```

Arguments

z	Vector containing observed response
a	Matrix with active constraints
extra	List with element y containing the observed response vector, weights with optional observation weights, weight aw for $y > x$, and weight bw for $y \leq x$

Details

This function is called internally in `activeSet` by setting `mySolver = aSolver`.

Value

x	Vector containing the fitted values
lbd	Vector with Lagrange multipliers
f	Value of the target function
gx	Gradient at point x

References

Efron, B. (1991). Regression percentiles using asymmetric squared error loss. Statistica Sinica, 1, 93-125.

See Also

[activeSet](#)

Examples

```
##Fitting isotone regression using active set
set.seed(12345)
y <- rnorm(9)           ##response values
w <- rep(1,9)           ##unit weights
btota <- cbind(1:8, 2:9) ##Matrix defining isotonicity (total order)
fit.asy <- activeSet(btota, aSolver, weights = w, y = y, aw = 0.3, bw = 0.5)
```

dSolver	<i>Absolute Value Norm</i>
---------	----------------------------

Description

Solver for the least absolute value norm with optional weights.

Usage

```
dSolver(z, a, extra)
```

Arguments

z	Vector containing observed response
a	Matrix with active constraints
extra	List with element y containing the observed response vector and weights with optional observation weights

Details

This function is called internally in activeSet by setting mySolver = dSolver.

Value

x	Vector containing the fitted values
lbd	Vector with Lagrange multipliers
f	Value of the target function
gx	Gradient at point x

See Also

[activeSet](#)

Examples

```
##Fitting weighted absolute norm problem
set.seed(12345)
y <- rnorm(9)           ##response values
w <- rep(1,9)           ##unit weights
btota <- cbind(1:8, 2:9) ##Matrix defining isotonicity (total order)
fit.abs <- activeSet(btota, dSolver, weights = w, y = y)
```

eSolver

L1 approximation

Description

Solves an L1 approximation.

Usage

```
eSolver(z, a, extra)
```

Arguments

z	Vector containing observed response
a	Matrix with active constraints
extra	List with element y containing the observed response vector and weights with optional observation weights, eps for the error term

Details

This function is called internally in `activeSet` by setting `mySolver = eSolver`.

Value

x	Vector containing the fitted values
lbd	Vector with Lagrange multipliers
f	Value of the target function
gx	Gradient at point x

See Also

[activeSet](#)

Examples

```
##Fitting isotone regression using active set
set.seed(12345)
y <- rnorm(9)           ##response values
w <- rep(1,9)           ##unit weights
eps = 0.01              ##error term
btota <- cbind(1:8, 2:9) ##Matrix defining isotonicity (total order)
fit.approx <- activeSet(btota, eSolver, weights = w, y = y, eps = eps)
```

fSolver	<i>User-Specified Loss Function</i>
---------	-------------------------------------

Description

Specification of a differentiable convex loss function.

Usage

```
fSolver(z, a, extra)
```

Arguments

z	Vector containing observed response
a	Matrix with active constraints
extra	List with element fobj containing the target function and gobj with the first derivative

Details

This function is called internally in activeSet by setting mySolver = fSolver. It uses optim() with "BFGS" for optimization.

Value

x	Vector containing the fitted values
lbd	Vector with Lagrange multipliers
f	Value of the target function
gx	Gradient at point x

See Also

[activeSet](#)

Examples

```
##Fitting isotone regression using active set (L2-norm user-specified)
set.seed(12345)
y <- rnorm(9)          ##response values
w <- rep(1,9)          ##unit weights
btota <- cbind(1:8, 2:9) ##Matrix defining isotonicity (total order)
fit.convex <- activeSet(btota, fSolver, fobj = function(x) sum(w*(x-y)^2),
  gobj = function(x) 2*drop(w*(x-y)), y = y, weights = w)
```

gpava

Generalized Pooled-Adjacent-Violators Algorithm (PAVA)

Description

Pooled-adjacent-violators algorithm for general isotone regression problems. It allows for general convex target function, multiple measurements, and different approaches for handling ties.

Usage

```
gpava(z, y, weights = NULL, solver = weighted.mean, ties = "primary", p = NA)
```

Arguments

z	Vector of abscissae values
y	Vector or list of vectors of responses
weights	Vector of list of vectors of observation weights
solver	Either <code>weighted.mean</code> , <code>weighted.median</code> , <code>weighted.fractile</code> , or a user-specified function (see below)
ties	Treatment of ties, either "primary", "secondary", or "tertiary"
p	Fractile value between 0 and 1 if <code>weighted.fractile</code> is used

Details

A Pool Adjacent Violators Algorithm framework for minimizing problems like

$$\sum_i \sum_{J_i} w_{ij} f(y_{ij}, m_i)$$

under the constraint $m_1 \leq \dots \leq m_n$ with f a convex function in m . Note that this formulation allows for repeated data in each block (i.e. each list element of y , and hence is more general than the usual `pava/isoreg` ones.

A solver for the unconstrained $\sum_k w_k f(y_k, m) \rightarrow \min!$ can be specified. Typical cases are $f(y, m) = |y - m|^p$ for $p = 2$ (solved by weighted mean) and $p = 1$ (solved by weighted median), respectively.

Using the `weighted.fractile` solver corresponds to the classical minimization procedure in quantile regression.

The user can also specify his own function `foo(y, w)` with responses and weights as arguments. It should return a single numerical value.

Value

Generates an object of class gpava.

x	Fitted values
y	Observed response
z	Observed predictors
w	Weights
solver	Convex function
call	Matched call
p	Fractile value

Author(s)

Kurt Hornik, Jan de Leeuw, Patrick Mair

References

de Leeuw, J., Hornik, K., Mair, P. (2009). Isotone Optimization in R: Pool-Adjacent-Violators Algorithm (PAVA) and Active Set Methods. *Journal of Statistical Software*, 32(5), 1-24.

Examples

```
data(pituitary)
##different tie approaches
gpava(pituitary[,1],pituitary[,2], ties = "primary")
gpava(pituitary[,1],pituitary[,2], ties = "secondary")
gpava(pituitary[,1],pituitary[,2], ties = "tertiary")

##different target functions
gpava(pituitary[,1],pituitary[,2], solver = weighted.mean)
gpava(pituitary[,1],pituitary[,2], solver = weighted.median)
gpava(pituitary[,1],pituitary[,2], solver = weighted.fractile, p = 0.25)

##repeated measures
data(posturo)
res <- gpava(posturo[,1],posturo[,2:4], ties = "secondary")
plot(res)
```

hSolver

Huber Loss Function

Description

Solver for Huber's robust loss function.

Usage

```
hSolver(z, a, extra)
```

Arguments

z	Vector containing observed response
a	Matrix with active constraints
extra	List with element y containing the observed response vector and weights with optional observation weights, and eps

Details

This function is called internally in `activeSet` by setting `mySolver = hSolver`.

Value

x	Vector containing the fitted values
lbd	Vector with Lagrange multipliers
f	Value of the target function
gx	Gradient at point x

References

Huber, P. (1982). Robust Statistics. Chichester: Wiley.

See Also

[activeSet](#)

Examples

```
##Fitting isotone regression using active set
set.seed(12345)
y <- rnorm(9)           ##response values
w <- rep(1,9)           ##unit weights
eps <- 0.01
btota <- cbind(1:8, 2:9) ##Matrix defining isotonicity (total order)
fit.huber <- activeSet(btota, hSolver, weights = w, y = y, eps = eps)
```

iSolver

*SILF Loss***Description**

Minimizes soft insensitive loss function (SILF) for support vector regression.

Usage

```
iSolver(z, a, extra)
```

Arguments

<code>z</code>	Vector containing observed response
<code>a</code>	Matrix with active constraints
<code>extra</code>	List with element <code>y</code> containing the observed response vector, weights with optional observation weights, <code>beta</code> between 0 and 1, and <code>eps</code> > 0

Details

This function is called internally in `activeSet` by setting `mySolver = iSolver`.

Value

<code>x</code>	Vector containing the fitted values
<code>lbd</code>	Vector with Lagrange multipliers
<code>f</code>	Value of the target function
<code>gx</code>	Gradient at point <code>x</code>

References

Efron, B. (1991). Regression percentiles using asymmetric squared error loss. *Statistica Sinica*, 1, 93-125.

See Also

[activeSet](#)

Examples

```
##Fitting isotone regression using active set
set.seed(12345)
y <- rnorm(9)           ##response values
w <- rep(1,9)           ##unit weights
eps <- 2
beta <- 0.4
```

```
btota <- cbind(1:8, 2:9) ##Matrix defining isotonicity (total order)
fit.silf <- activeSet(btota, iSolver, weights = w, y = y, beta = beta, eps = eps)
```

lfSolver

General Least Squares Loss Function

Description

Solver for the general least squares monotone regression problem of the form $(y-x)'W(y-x)$.

Usage

```
lfSolver(z, a, extra)
```

Arguments

z	Vector containing observed response
a	Matrix with active constraints
extra	List with element y containing the observed response vector and weights as weight matrix W which is not necessarily positive definite.

Details

This function is called internally in `activeSet` by setting `mySolver = lfSolver`.

Value

x	Vector containing the fitted values
lbd	Vector with Lagrange multipliers
f	Value of the target function
gx	Gradient at point x

See Also

[activeSet](#)

Examples

```
##Fitting isotone regression
set.seed(12345)
y <- rnorm(9)          ##response values
w <- diag(rep(1,9))    ##unit weight matrix
btota <- cbind(1:8, 2:9) ##Matrix defining isotonicity (total order)
#fit.lf <- activeSet(btota, lfSolver, weights = w, y = y)
```

`lsSolver`*Least Squares Loss Function*

Description

Solver for the least squares monotone regression problem with optional weights.

Usage

```
lsSolver(z, a, extra)
```

Arguments

<code>z</code>	Vector containing observed response
<code>a</code>	Matrix with active constraints
<code>extra</code>	List with element <code>y</code> containing the observed response vector and weights with optional observation weights

Details

This function is called internally in `activeSet` by setting `mySolver = lsSolver`.

Value

<code>x</code>	Vector containing the fitted values
<code>lbd</code>	Vector with Lagrange multipliers
<code>f</code>	Value of the target function
<code>gx</code>	Gradient at point <code>x</code>

See Also

[activeSet](#)

Examples

```
##Fitting isotone regression using active set
set.seed(12345)
y <- rnorm(9)           ##response values
w <- rep(1,9)           ##unit weights
btota <- cbind(1:8, 2:9) ##Matrix defining isotonicity (total order)
fit.ls <- activeSet(btota, lsSolver, weights = w, y = y)
```

mendota

*Number of freezing days at Lake Mendota***Description**

This dataset shows the number of freezing days at Lake Mendota measured from November, 23, in the year 1854.

Usage

```
data(mendota)
```

Format

A data frame with 12 subjects.

References

Bhattacharyya, G. K., & Klotz, J. H. (1966). The bivariate trend of Lake Mendota. Technical Report No. 98, Department of Statistics, University of Wisconsin.

Barlow, R. E., Bartholomew, D. J., Bremner, J. M., & Brunk, H. D. (1972). Statistical inference under order restrictions: The theory and application of isotonic regression. Chichester: Wiley.

Examples

```
data(mendota)
```

mregnn

*Regression with Linear Inequality Restrictions on Predicted Values***Description**

The package contains three functions for fitting regressions with inequality restrictions: `mregnn` is the most general one, allowing basically for any partial orders, `mregnnM` poses a monotone restriction on the fitted values, `mregnnP` restricts the predicted values to be positive. More details can be found below.

Usage

```
mregnn(x, y, a)
mregnnM(x, y)
mregnnP(x, y)
```

Arguments

x	Can be a spline basis.
y	Response.
a	Matrix containing order restrictions.

Details

These functions solve the problem

$$f(b) = \frac{1}{2}(y - Xb)'(y - Xb)$$

over all b for which $A'Xb \geq 0$. A can be used require the transformation to be non-negative, or increasing, or satisfying any partial order.

Value

xb	Predicted values.
lb	Solution of the dual problem.
f	Value of the target function

References

de Leeuw, J. (2015). Regression with Linear Inequality Restrictions on Predicted Values. <http://rpubs.com/deleeuw/78897>.

Examples

```
## Compute the best fitting quadratic polynomial (in black)
## and monotone quadratic polynomial (in blue)
set.seed(12345)
x <- outer(1:10,1:3,"^")
x <- apply(x,2,function(x)
x - mean(x))
x <- apply (x,2,function(x)
x / sqrt (sum(x ^ 2)))
y <- rowSums(x) + rnorm(10)
plot(x[,1], y, lwd = 3, col = "RED", xlab = "x", ylab = "P(x)")
o <- mregnnM(x,y)
lines(x[,1], o$xb, col = "BLUE", lwd = 2)
xb <- drop(x %*% qr.solve(x,y))
lines(x[,1],xb,col="BLACK", lwd = 2)

## same monotone model through basic mregnn()
difmat <- function (n) {
  m1 <- ifelse(outer(1:(n - 1),1:n,"-") == -1, 1, 0)
  m2 <- ifelse(outer(1:(n - 1),1:n,"-") == 0,-1, 0)
  return (m1 + m2)
}
a <- difmat(nrow(x))      ## order restriction
o2 <- mregnn(x, y, a)
```

mSolver	<i>Chebyshev norm</i>
---------	-----------------------

Description

Solver for the Chebyshev norm.

Usage

```
mSolver(z, a, extra)
```

Arguments

z	Vector containing observed response
a	Matrix with active constraints
extra	List with element y containing the observed response vector and weights with optional observation weights

Details

This function is called internally in `activeSet` by setting `mySolver = mSolver`.

Value

x	Vector containing the fitted values
lbd	Vector with Lagrange multipliers
f	Value of the target function
gx	Gradient at point x

See Also

[activeSet](#)

Examples

```
##Fitting isotone regression using active set
set.seed(12345)
y <- rnorm(9)          ##response values
w <- rep(1,9)          ##unit weights
btota <- cbind(1:8, 2:9) ##Matrix defining isotonicity (total order)
fit.cheby <- activeSet(btota, mSolver, weights = w, y = y)
```

oSolver

Lp norm

Description

Solver for Lp-norm.

Usage

```
oSolver(z, a, extra)
```

Arguments

<code>z</code>	Vector containing observed response
<code>a</code>	Matrix with active constraints
<code>extra</code>	List with element <code>y</code> containing the observed response vector, weights as an optional weight vector, and <code>p</code> as the exponent for the Lp-norm.

Details

This function is called internally in `activeSet` by setting `mySolver = oSolver`.

Value

<code>x</code>	Vector containing the fitted values
<code>lbd</code>	Vector with Lagrange multipliers
<code>f</code>	Value of the target function
<code>gx</code>	Gradient at point <code>x</code>

See Also

[activeSet](#)

Examples

```
##Fitting isotone regression
set.seed(12345)
y <- rnorm(9)          ##normal distributed response values
w1 <- rep(1,9)         ##unit weights
Atot <- cbind(1:8, 2:9) ##Matrix defining isotonicity (total order)
fit.pow <- activeSet(Atot, oSolver, y = y, weights = w1, p = 1.2)
```

pituitary	<i>Size of pituitary fissure</i>
-----------	----------------------------------

Description

The University of Carolina conducted a study in which the size (in mm) of the pituitary fissure was measured on girls between an age of 8 and 14.

Usage

```
data(pituitary)
```

Format

A data frame with 11 subjects.

References

Pothoff, R. F., & Roy, S. N. (1964). A generalized multivariate analysis of variance model useful especially for growth curve problems. *Biometrika*, 51, 313-326.

Robertson, T., Wright, F. T., & Dykstra, R. L. (1988). *Order restricted statistical inference*. New York, Wiley.

Examples

```
data(pituitary)
```

posturo	<i>Repeated posturographic measures</i>
---------	---

Description

This dataset represents a subset from the posturographic data collected in Leitner et al. (sensory organisation test SOT).

Usage

```
data(posturo)
```

Format

A data frame with 50 subjects, age as predictor and 3 repeated SOT measures as responses.

References

Leitner, C., Mair, P., Paul, B., Wick, F., Mittermaier, C., Sycha, T., & Ebenbichler, G. (2009). Reliability of posturographic measurements in the assessment of impaired sensorimotor function in chronic low back pain. *Journal of Electromyography and Kinesiology*, 19(3), 380-390.

Examples

```
data(posturo)
```

pSolver	<i>Quantile Regression</i>
---------	----------------------------

Description

Solver for the general p-quantile monotone regression problem with optional weights.

Usage

```
pSolver(z, a, extra)
```

Arguments

z	Vector containing observed response
a	Matrix with active constraints
extra	List with element y containing the observed response vector, weights with optional observation weights, aw and bw as quantile weights.

Details

This function is called internally in `activeSet` by setting `mySolver = pSolver`. Note that if `aw = bw`, we get the weighted median and therefore we solved the weighted absolute norm.

Value

x	Vector containing the fitted values
lbd	Vector with Lagrange multipliers
f	Value of the target function
gx	Gradient at point x

References

Koenker, R. (2005). *Quantile regression*. Cambridge, MA: Cambridge University Press.

See Also

```
activeSet
```

Examples

```
##Fitting quantile regression
set.seed(12345)
y <- rnorm(9)          ##response values
w <- rep(1,9)          ##unit weights
btota <- cbind(1:8, 2:9) ##Matrix defining isotonicity (total order)
fit.p <- activeSet(btota, pSolver, weights = w, y = y, aw = 0.3, bw = 0.7)
```

sSolver	<i>Negative Poisson Log-Likelihood</i>
---------	--

Description

Solver for the negative Poisson log-likelihood

Usage

```
sSolver(z, a, extra)
```

Arguments

z	Vector containing observed response
a	Matrix with active constraints
extra	List with element y containing the observed response vector

Details

This function is called internally in `activeSet` by setting `mySolver = sSolver`.

Value

x	Vector containing the fitted values
lbd	Vector with Lagrange multipliers
f	Value of the target function
gx	Gradient at point x

See Also

[activeSet](#)

Examples

```
##Minimizing Poisson log-likelihood
set.seed(12345)
yp <- rpois(9,5)
Atot <- cbind(1:8, 2:9) ##Matrix defining isotonicity (total order)
x0 <- 1:9              ##starting values
fit.poi <- activeSet(Atot, sSolver, x0 = x0, y = yp)
```

weighted.fractile	<i>Weighted Median</i>
-------------------	------------------------

Description

Computes the weighted fractile of a numeric vector

Usage

```
weighted.fractile(y, w, p)
```

Arguments

y	A numeric vector containing the values whose fractile is to be computed
w	A vector of length y giving the weights to use for each element of y
p	Fractile specification; value between 0 and 1

See Also

[weighted.mean](#), [weighted.median](#)

Examples

```
y <- 1:9
w <- c(rep(1,5), rep(2,4))
res <- weighted.fractile(y, w, p = 0.33)
```

weighted.median	<i>Weighted Median</i>
-----------------	------------------------

Description

Computes a weighted median of a numeric vector

Usage

```
weighted.median(y, w)
```

Arguments

y	A numeric vector containing the values whose median is to be computed
w	A vector of length y giving the weights to use for each element of y

See Also

[weighted.mean](#), [weighted.fractile](#)

Examples

```
y <- 1:9  
w <- c(rep(1,5), rep(2,4))  
res <- weighted.median(y, w)
```

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