

Package ‘lore’

July 22, 2025

Title LOw Rand and sparsE Covariance matrix estimation

Version 0.6.1

Author Xi (Rossi) LUO

Maintainer Xi (Rossi) LUO <xi.rossi.luo@gmail.com>

Suggests clime, scio

Description Estimate covariance matrices that contain low rank and sparse components

License GPL-2

NeedsCompilation yes

Repository CRAN

Date/Publication 2014-02-20 18:16:39

Contents

lore	1
Index	3

lore	<i>LOw Rank and sparsE Covariance estimation</i>
------	--

Description

Estimate covariance matrices that contain low rank and sparse components

Usage

```
lore(Sig, L, S, lambda, delta, thr=1.0e-4, maxit=1e4)
```

Arguments

Sig	Covariance matrix: p by p matrix (symmetric)
L	Initializing the low rank component. Default diag(Sig).
S	Initializing the sparse component. Default diag(Sig).
lambda	(Non-negative) regularization parameter (scalar) for the low rank component, L, via the nuclear norm penalty.
delta	(Non-negative) regularization parameter (scalar) for the sparse component, S, via the L1 penalty. The diagonal of S is not penalized.
thr	Threshold for convergence. Iterations stop when the relative Frobenius norm change of consecutive updates is less than the threshold. Default is 1e-4.
maxit	Maximum number of iterations. Default 10,000.

Details

Estimate a low rank plus sparse covariance matrix using a composite penalty, nuclear norm plus L1 norm (lasso). This covariance structure can be verified in many classical models, such as factor and random effect models. The algorithm is based on Nesterov's method, suitable for large-scale problems with low memory costs. It achieves the optimal global convergence rate of smooth problems under the black-box model.

Value

A list with components	
L	Estimated low rank component
S	Estimated sparse component

References

Xi Luo (2011). High Dimensional Low Rank and Sparse Covariance Matrix Estimation via Convex Minimization. Technical Report, Department of Biostatistics and Center of Statistical Sciences, Brown University. arXiv: 1111.1133.

Examples

```
set.seed(100)
Sig <- matrix(0.8, 4, 4) + diag(0.2, 4)
x <- matrix(rnorm(50*20), ncol=4)
s <- var(x)
a <- lorec(s, lambda=.01, delta=0.01)
```

Index

- * **models**
 - lore, [1](#)
- * **multivariate**
 - lore, [1](#)

lore, [1](#)