

Package ‘shannon’

July 23, 2025

Type Package
Title Computation of Entropy Measures and Relative Loss
Version 0.2.0
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Depends R (>= 4.0)
Imports stats, VaRES, extraDistr
Suggests ggplot2
Description The functions allow for the numerical evaluation of some commonly used entropy measures, such as Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, at selected parametric values from several well-known and widely used probability distributions. Moreover, the functions also compute the relative loss of these entropies using the truncated distributions. Related works include: Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. IMA Journal of Mathematical Control and Information, 4(2), 143-148. <doi:10.1093/imamci/4.2.143>.
License GPL-2
Encoding UTF-8
RoxygenNote 7.2.3
NeedsCompilation no
Repository CRAN
Date/Publication 2024-08-26 16:00:02 UTC

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Description

The functions allow for the numerical evaluation of some commonly used entropy measures, such as Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, at selected parametric values from several well-known and widely used probability distributions. Moreover, the functions also compute the relative loss of these entropies using the truncated distributions. Let X be an absolutely continuous random variable having the probability density function $f(x)$. Then, the Shannon entropy is as follows:

$$H(X) = - \int_{-\infty}^{+\infty} f(x) \log f(x) dx.$$

The Rényi entropy is as follows:

$$H_{\delta}(X) = \frac{1}{1-\delta} \log \int_{-\infty}^{+\infty} f(x)^{\delta} dx; \quad \delta > 0, \delta \neq 1.$$

The Havrda and Charvat entropy is as follows:

$$H_{\delta}(X) = \frac{1}{2^{1-\delta} - 1} \left(\int_{-\infty}^{+\infty} f(x)^{\delta} dx - 1 \right); \quad \delta > 0, \delta \neq 1.$$

The Arimoto entropy is as follows:

$$H_{\delta}(X) = \frac{\delta}{1-\delta} \left[\left(\int_{-\infty}^{+\infty} f(x)^{\delta} dx \right)^{\frac{1}{\delta}} - 1 \right]; \quad \delta > 0, \delta \neq 1.$$

Let $D(X)$ be an entropy, and $D_p(X)$ be its truncated integral version at p , i.e., defined with the truncated version of $f(x)$ over the interval $(-\infty, p)$. Then we define the corresponding relative loss entropy is defined by

$$S_D(p) = \frac{D(X) - D_p(X)}{D(X)}.$$

Details

Package: shannon
 Type: Package
 Version: 0.2.0

Date: 2024-08-21
License: GPL-2

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References

- Shannon, C. E. (1948). A mathematical theory of communication. The Bell system technical journal, 27(3), 379-423.
- Rényi, A. (1961). On measures of entropy and information, Hungarian Academy of Sciences, Budapest, Hungary, 547- 561.
- Havrda, J., & Charvat, F. (1967). Quantification method of classification processes. Concept of structural α -entropy. Kybernetika, 3(1), 30-35.
- Arimoto, S. (1971). Information-theoretical considerations on estimation problems. Information and control, 19(3), 181-194.
- Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. IMA Journal of Mathematical Control and Information, 4(2), 143-148.

Beta distribution	<i>Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the beta distribution</i>
-------------------	---

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the beta distribution.

Usage

```
Se_beta(alpha, beta)
re_beta(alpha, beta, delta)
hce_beta(alpha, beta, delta)
ae_beta(alpha, beta, delta)
```

Arguments

alpha	The strictly positive shape parameter of the beta distribution ($\alpha > 0$).
beta	The strictly positive shape parameter of the beta distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the beta distribution:

$$f(x) = \frac{\Gamma(\alpha + \beta)}{\Gamma(\alpha)\Gamma(\beta)} x^{\alpha-1} (1-x)^{\beta-1},$$

where $0 \leq x \leq 1$, $\alpha > 0$ and $\beta > 0$, and $\Gamma(a)$ denotes the standard gamma function.

Value

The functions `Se_beta`, `re_beta`, `hce_beta`, and `ae_beta` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the beta distribution and δ .

Author(s)

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R implementation and documentation: Muhammad Imran <imranshakoar84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

- Gupta, A. K., & Nadarajah, S. (2004). Handbook of beta distribution and its applications. CRC Press.
- Johnson, N. L., Kotz, S., & Balakrishnan, N. (1994). Beta distributions. Continuous univariate distributions. 2nd ed. New York, NY: John Wiley and Sons, 221-235.

See Also

[se_kum](#), [re_kum](#), [hce_kum](#), [ae_kum](#)

Examples

```
# Computation of the Shannon entropy
Se_beta(2, 4)
delta <- c(1.2, 3)
# Computation of the Rényi entropy
re_beta(2, 4, delta)
# Computation of the Havrda and Charvat entropy
hce_beta(2, 4, delta)
# Computation of the Arimoto entropy
ae_beta(2, 4, delta)
# A graphic presentation of the Havrda and Charvat entropy (HCE)
```

```
library(ggplot2)
delta <- c(0.2, 0.3, 0.5, 0.8, 1.2, 1.5, 2.5, 3, 3.5)
hce_beta(2, 1.2, delta)
z <- hce_beta(2, 1.2, delta)
dat <- data.frame(x = delta, HCE = z)
p_hce <- ggplot(dat, aes(x = delta, y = HCE)) + geom_line()
plot <- p_hce + ggtitle(expression(alpha == 2~beta == 1.2))
```

Beta exponential distribution

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the beta exponential distribution

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the beta exponential distribution.

Usage

```
se_bexp(lambda, alpha, beta)
re_bexp(lambda, alpha, beta, delta)
hce_bexp(lambda, alpha, beta, delta)
ae_bexp(lambda, alpha, beta, delta)
```

Arguments

lambda	The strictly positive scale parameter of the exponential distribution ($\lambda > 0$).
alpha	The strictly positive shape parameter of the beta distribution ($\alpha > 0$).
beta	The strictly positive shape parameter of the beta distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the beta exponential distribution:

$$f(x) = \frac{\lambda e^{-\beta \lambda x}}{B(\alpha, \beta)} (1 - e^{-\lambda x})^{\alpha-1},$$

where $x > 0$, $\alpha > 0$, $\beta > 0$ and $\lambda > 0$, and $B(a, b)$ denotes the standard beta function.

Value

The functions `se_bexp`, `re_bexp`, `hce_bexp`, and `ae_bexp` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the beta exponential distribution and δ .

Author(s)

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References

Nadarajah, S., & Kotz, S. (2006). The beta exponential distribution. Reliability Engineering & System Safety, 91(6), 689-697.

See Also

[re_beta](#), [re_exp](#)

Examples

```
# Computation of the Shannon entropy
se_bexp(1.2, 0.2, 1.5)
delta <- c(0.2, 0.3, 0.5)
# Computation of the Rényi entropy
re_bexp(1.2, 0.2, 0.5, delta)
# Computation of the Havrda and Charvat entropy
hce_bexp(1.2, 0.2, 1.5, delta)
# Computation of the Arimoto entropy
ae_bexp(1.2, 0.2, 1.5, delta)
```

Birnbauim-Saunders distribution

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Birnbauim-Saunders distribution

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Birnbauim-Saunders distribution.

Usage

```
se_bs(v)
re_bs(v, delta)
hce_bs(v, delta)
ae_bs(v, delta)
```

Arguments

<code>v</code>	The strictly positive scale parameter of the Birnbauim-Saunders distribution ($v > 0$).
<code>delta</code>	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the Birnbaum-Saunders distribution:

$$f(x) = \frac{x^{0.5} + x^{-0.5}}{2vx} \phi\left(\frac{x^{0.5} - x^{-0.5}}{v}\right),$$

where $x > 0$ and $v > 0$, and $\phi(x)$ is the probability density function of the standard normal distribution.

Value

The functions `se_bs`, `re_bs`, `hce_bs`, and `ae_bs` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Birnbaum-Saunders distribution and δ .

Author(s)

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References

Chan, S., Nadarajah, S., & Afuecheta, E. (2016). An R package for value at risk and expected shortfall. *Communications in Statistics Simulation and Computation*, 45(9), 3416-3434.

Arimoto, S. (1971). Information-theoretical considerations on estimation problems. *Inf. Control*, 19, 181-194.

See Also

[re_exp](#), [re_chi](#)

Examples

```
se_bs(0.2)
delta <- c(1.5, 2, 3)
re_bs(0.2, delta)
hce_bs(0.2, delta)
ae_bs(0.2, delta)
```

Burr XII distribution *Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Burr XII distribution*

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Burr XII distribution.

Usage

```
se_burr(k, c)
re_burr(k, c, delta)
hce_burr(k, c, delta)
ae_burr(k, c, delta)
```

Arguments

k	The strictly positive shape parameter of the Burr XII distribution ($k > 0$).
c	The strictly positive shape parameter of the Burr XII distribution ($c > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the Burr XII distribution:

$$f(x) = kcx^{c-1} (1 + x^c)^{-k-1},$$

where $x > 0$, $c > 0$ and $k > 0$.

Value

The functions `se_burr`, `re_burr`, `hce_burr`, and `ae_burr` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Burr XII distribution and δ .

Author(s)

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References

Rodriguez, R. N. (1977). A guide to the Burr type XII distributions. *Biometrika*, 64(1), 129-134.
 Zimmer, W. J., Keats, J. B., & Wang, F. K. (1998). The Burr XII distribution in reliability analysis. *Journal of Quality Technology*, 30(4), 386-394.

See Also

[re_gamma](#), [re_wei](#)

Examples

```
se_burr(0.2, 1.4)
delta <- c(2, 3)
re_burr(1.2, 1.4, delta)
hce_burr(1.2, 1.4, delta)
ae_burr(1.2, 1.4, delta)
```

Chi-squared distribution

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Chi-squared distribution

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the chi-squared distribution.

Usage

```
se_chi(n)
re_chi(n, delta)
hce_chi(n, delta)
ae_chi(n, delta)
```

Arguments

n	The degree of freedom and the positive parameter of the Chi-squared distribution ($n > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the (non-central) Chi-squared distribution:

$$f(x) = \frac{1}{2^{\frac{n}{2}} \Gamma(\frac{n}{2})} x^{\frac{n}{2}-1} e^{-\frac{x}{2}},$$

where $x > 0$ and $n > 0$, and $\Gamma(a)$ denotes the standard gamma function.

Value

The functions `se_chi`, `re_chi`, `hce_chi`, and `ae_chi` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Chi-squared distribution and δ .

Author(s)

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References

Johnson, N. L., Kotz, S., & Balakrishnan, N. (1995). Continuous univariate distributions, volume 2 (Vol. 289). John Wiley & Sons.

See Also

[re_exp](#), [re_gamma](#), [re_bs](#)

Examples

```
se_chi(1.2)
delta <- c(0.2, 0.3)
re_chi(1.2, delta)
hce_chi(1.2, delta)
ae_chi(1.2, delta)
```

Exponential distribution

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the exponential distribution

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the exponential distribution.

Usage

```
Se_exp(alpha)
re_exp(alpha, delta)
hce_exp(alpha, delta)
ae_exp(alpha, delta)
```

Arguments

alpha	The strictly positive scale parameter of the exponential distribution ($\alpha > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the exponential distribution:

$$f(x) = \alpha e^{-\alpha x},$$

where $x > 0$ and $\alpha > 0$.

Value

The functions `Se_exp`, `re_exp`, `hce_exp`, and `ae_exp` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the exponential distribution and δ .

Author(s)

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R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

- Balakrishnan, K. (2019). Exponential distribution: theory, methods and applications. Routledge.
- Singh, A. K. (1997). The exponential distribution-theory, methods and applications, *Technometrics*, 39(3), 341-341.
- Arimoto, S. (1971). Information-theoretical considerations on estimation problems. *Inf. Control*, 19, 181–194.

See Also

[re_chi](#), [re_gamma](#), [re_wei](#)

Examples

```
Se_exp(0.2)
delta <- c(1.5, 2, 3)
re_exp(0.2, delta)
hce_exp(0.2, delta)
ae_exp(0.2, delta)
```

Exponential extension distribution

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the exponential extension distribution

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the exponential extension distribution.

Usage

```
se_nh(alpha, beta)
re_nh(alpha, beta, delta)
hce_nh(alpha, beta, delta)
ae_nh(alpha, beta, delta)
```

Arguments

alpha	The strictly positive parameter of the exponential extension distribution ($\alpha > 0$).
beta	The strictly positive parameter of the exponential extension distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the exponential extension distribution:

$$f(x) = \alpha\beta(1 + \alpha x)^{\beta-1}e^{1-(1+\alpha x)^\beta},$$

where $x > 0$, $\alpha > 0$ and $\beta > 0$.

Value

The functions `se_nh`, `re_nh`, `hce_nh`, and `ae_nh` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the exponential extension distribution and δ .

Author(s)

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References

Nadarajah, S., & Haghighi, F. (2011). An extension of the exponential distribution. *Statistics*, 45(6), 543-558.

See Also

[re_exp](#), [re_gamma](#), [re_ee](#), [re_wei](#)

Examples

```
se_nh(1.2, 0.2)
delta <- c(1.5, 2, 3)
re_nh(1.2, 0.2, delta)
hce_nh(1.2, 0.2, delta)
ae_nh(1.2, 0.2, delta)
```

Exponentiated exponential distribution

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the exponentiated exponential distribution

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the exponentiated exponential distribution.

Usage

```
se_ee(alpha, beta)
re_ee(alpha, beta, delta)
hce_ee(alpha, beta, delta)
ae_ee(alpha, beta, delta)
```

Arguments

alpha	The strictly positive scale parameter of the exponentiated exponential distribution ($\alpha > 0$).
beta	The strictly positive shape parameter of the exponentiated exponential distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the exponentiated exponential distribution:

$$f(x) = \alpha\beta e^{-\alpha x} (1 - e^{-\alpha x})^{\beta-1},$$

where $x > 0$, $\alpha > 0$ and $\beta > 0$.

Value

The functions `se_ee`, `re_ee`, `hce_ee`, and `ae_ee` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the exponentiated exponential distribution and δ .

Author(s)

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References

Nadarajah, S. (2011). The exponentiated exponential distribution: a survey. *AStA Advances in Statistical Analysis*, 95, 219-251.

Gupta, R. D., & Kundu, D. (2007). Generalized exponential distribution: Existing results and some recent developments. *Journal of Statistical Planning and Inference*, 137(11), 3537-3547.

See Also

[re_exp](#), [re_wei](#), [re_nh](#)

Examples

```
se_ee(0.2, 1.4)
delta <- c(1.5, 2, 3)
re_ee(0.2, 1.4, delta)
hce_ee(0.2, 1.4, delta)
ae_ee(0.2, 1.4, delta)
```

Exponentiated Weibull distribution

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the exponentiated Weibull distribution

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the exponentiated Weibull distribution.

Usage

```
se_ew(a, beta, zeta)
re_ew(a, beta, zeta, delta)
hce_ew(a, beta, zeta, delta)
ae_ew(a, beta, zeta, delta)
```

Arguments

a	The strictly positive shape parameter of the exponentiated Weibull distribution ($a > 0$).
beta	The strictly positive scale parameter of the baseline Weibull distribution ($\beta > 0$).
zeta	The strictly positive shape parameter of the baseline Weibull distribution ($\zeta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the exponentiated Weibull distribution:

$$f(x) = a\zeta\beta^{-\zeta}x^{\zeta-1}e^{-\left(\frac{x}{\beta}\right)^{\zeta}}\left[1 - e^{-\left(\frac{x}{\beta}\right)^{\zeta}}\right]^{a-1},$$

where $x > 0$, $a > 0$, $\beta > 0$ and $\zeta > 0$.

Value

The functions `se_ew`, `re_ew`, `hce_ew`, and `ae_ew` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the exponentiated Weibull distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoar84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Nadarajah, S., Cordeiro, G. M., & Ortega, E. M. (2013). The exponentiated Weibull distribution: a survey. *Statistical Papers*, 54, 839-877.

See Also

[re_exp](#), [re_wei](#), [re_ew](#)

Examples

```
se_ew(0.8, 0.2, 0.8)
delta <- c(1.5, 2, 3)
re_ew(1.2, 1.2, 1.4, delta)
hce_ew(1.2, 1.2, 1.4, delta)
ae_ew(1.2, 1.2, 1.4, delta)
```

F distribution	<i>Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the F distribution</i>
----------------	--

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the F distribution.

Usage

```
se_f(alpha, beta)
re_f(alpha, beta, delta)
hce_f(alpha, beta, delta)
ae_f(alpha, beta, delta)
```

Arguments

alpha	The strictly positive parameter (first degree of freedom) of the F distribution ($\alpha > 0$).
beta	The strictly positive parameter (second degree of freedom) of the F distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the F distribution:

$$f(x) = \frac{1}{B(\frac{\alpha}{2}, \frac{\beta}{2})} \left(\frac{\alpha}{\beta}\right)^{\frac{\alpha}{2}} x^{\frac{\alpha}{2}-1} \left(1 + \frac{\alpha}{\beta}x\right)^{-\left(\frac{\alpha+\beta}{2}\right)},$$

where $x > 0$, $\alpha > 0$ and $\beta > 0$, and $B(a, b)$ is the standard beta function.

Value

The functions `se_f`, `re_f`, `hce_f`, and `ae_f` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the F distribution and δ .

Author(s)

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R implementation and documentation: Muhammad Imran <imranshako084@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Johnson, N. L., Kotz, S., & Balakrishnan, N. (1995). Continuous univariate distributions, volume 2 (Vol. 289). John Wiley & Sons.

See Also

[re_exp](#), [re_gamma](#)

Examples

```
se_f(1.2, 1.4)
delta <- c(2.2, 2.3)
re_f(1.2, 0.4, delta)
hce_f(1.2, 1.4, delta)
ae_f(1.2, 1.4, delta)
```

Frechet distribution	<i>Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Fréchet distribution</i>
----------------------	--

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Fréchet distribution.

Usage

```
se_fre(alpha, beta, zeta)
re_fre(alpha, beta, zeta, delta)
hce_fre(alpha, beta, zeta, delta)
ae_fre(alpha, beta, zeta, delta)
```

Arguments

alpha	The parameter of the Fréchet distribution ($\alpha > 0$).
beta	The parameter of the Fréchet distribution ($\beta \in (-\infty, +\infty)$).
zeta	The parameter of the Fréchet distribution ($\zeta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the Fréchet distribution:

$$f(x) = \frac{\alpha}{\zeta} \left(\frac{x - \beta}{\zeta} \right)^{-1-\alpha} e^{-\left(\frac{x-\beta}{\zeta}\right)^{-\alpha}},$$

where $x > \beta$, $\alpha > 0$, $\zeta > 0$ and $\beta \in (-\infty, +\infty)$. The Fréchet distribution is also known as inverse Weibull distribution and special case of the generalized extreme value distribution.

Value

The functions `se_fre`, `re_fre`, `hce_fre`, and `ae_fre` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Fréchet distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Abbas, K., & Tang, Y. (2015). Analysis of Fréchet distribution using reference priors. *Communications in Statistics-Theory and Methods*, 44(14), 2945-2956.

See Also

[re_exp](#), [re_gum](#)

Examples

```
se_fre(0.2, 1.4, 1.2)
delta <- c(2, 3)
re_fre(1.2, 0.4, 1.2, delta)
hce_fre(1.2, 0.4, 1.2, delta)
ae_fre(1.2, 0.4, 1.2, delta)
```

Gamma distribution	<i>Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the gamma distribution</i>
--------------------	--

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the gamma distribution.

Usage

```
Se_gamma(alpha, beta)
re_gamma(alpha, beta, delta)
hce_gamma(alpha, beta, delta)
ae_gamma(alpha, beta, delta)
```

Arguments

alpha	The strictly positive shape parameter of the gamma distribution ($\alpha > 0$).
beta	The strictly positive scale parameter of the gamma distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the gamma distribution:

$$f(x) = \frac{\beta^\alpha}{\Gamma(\alpha)} x^{\alpha-1} e^{-\beta x},$$

where $x > 0$, $\alpha > 0$ and $\beta > 0$, and $\Gamma(a)$ is the standard gamma function.

Value

The functions `Se_gamma`, `re_gamma`, `hce_gamma`, and `ae_gamma` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the gamma distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Burgin, T. A. (1975). The gamma distribution and inventory control. *Journal of the Operational Research Society*, 26(3), 507-525.

See Also

[re_exp](#), [re_wei](#)

Examples

```
Se_gamma(1.2, 1.4)
delta <- c(1.5, 2, 3)
re_gamma(1.2, 1.4, delta)
hce_gamma(1.2, 1.4, delta)
ae_gamma(1.2, 1.4, delta)
```

Gompertz distribution *Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Gompertz distribution*

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Gompertz distribution.

Usage

```
se_gomp(alpha, beta)
re_gomp(alpha, beta, delta)
hce_gomp(alpha, beta, delta)
ae_gomp(alpha, beta, delta)
```

Arguments

alpha	The strictly positive parameter of the Gompertz distribution ($\alpha > 0$).
beta	The strictly positive parameter of the Gompertz distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the Gompertz distribution:

$$f(x) = \alpha e^{\beta x - \frac{\alpha}{\beta}(e^{\beta x} - 1)},$$

where $x > 0$, $\alpha > 0$ and $\beta > 0$.

Value

The functions `se_gomp`, `re_gomp`, `hce_gomp`, and `ae_gomp` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Gompertz distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshako84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Soliman, A. A., Abd-Allah, A. H., Abou-Elheggag, N. A., & Abd-Elmougod, G. A. (2012). Estimation of the parameters of life for Gompertz distribution using progressive first-failure censored data. *Computational Statistics & Data Analysis*, 56(8), 2471-2485.

See Also

[re_exp](#), [re_gamma](#), [re_ray](#)

Examples

```
se_gomp(2.4,0.2)
delta <- c(2, 3)
re_gomp(2.4,0.2, delta)
hce_gomp(2.4,0.2, delta)
ae_gomp(2.4,0.2, delta)
```

Gumbel distribution	<i>Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Gumbel distribution</i>
---------------------	---

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Gumbel distribution.

Usage

```
Se_gum(alpha, beta)
re_gum(alpha, beta, delta)
hce_gum(alpha, beta, delta)
ae_gum(alpha, beta, delta)
```

Arguments

alpha	The location parameter of the Gumbel distribution ($\alpha \in (-\infty, +\infty)$).
beta	The strictly positive scale parameter of the Gumbel distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the Gumbel distribution:

$$f(x) = \frac{1}{\beta} e^{-(z+e^{-z})},$$

where $z = \frac{x-\alpha}{\beta}$, $x \in (-\infty, +\infty)$, $\alpha \in (-\infty, +\infty)$ and $\beta > 0$.

Value

The functions `Se_gum`, `re_gum`, `hce_gum`, and `ae_gum` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Gumbel distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshako0r84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Gomez, Y. M., Bolfarine, H., & Gomez, H. W. (2019). Gumbel distribution with heavy tails and applications to environmental data. *Mathematics and Computers in Simulation*, 157, 115-129.

See Also

[re_norm](#)

Examples

```
Se_gum(1.2, 1.4)
delta <- c(2, 3)
re_gum(1.2, 0.4, delta)
hce_gum(1.2, 0.4, delta)
ae_gum(1.2, 0.4, delta)
```

Inverse-gamma distribution

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the inverse-gamma distribution

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the inverse-gamma distribution.

Usage

```
se_ig(alpha, beta)
re_ig(alpha, beta, delta)
hce_ig(alpha, beta, delta)
ae_ig(alpha, beta, delta)
```

Arguments

alpha	The strictly positive shape parameter of the inverse-gamma distribution ($\alpha > 0$).
beta	The strictly positive scale parameter of the inverse-gamma distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the inverse-gamma distribution:

$$f(x) = \frac{\beta^\alpha}{\Gamma(\alpha)} x^{-\alpha-1} e^{-\frac{\beta}{x}},$$

where $x > 0$, $\alpha > 0$ and $\beta > 0$, and $\Gamma(a)$ is the standard gamma function.

Value

The functions `se_ig`, `re_ig`, `hce_ig`, and `ae_ig` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the inverse-gamma distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoar84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Rivera, P. A., Calderín-Ojeda, E., Gallardo, D. I., & Gómez, H. W. (2021). A compound class of the inverse Gamma and power series distributions. *Symmetry*, 13(8), 1328.

Glen, A. G. (2017). On the inverse gamma as a survival distribution. *Computational Probability Applications*, 15-30.

See Also

[re_exp](#), [re_gamma](#)

Examples

```
se_ig(1.2, 0.2)
delta <- c(1.5, 2, 3)
re_ig(1.2, 0.2, delta)
hce_ig(1.2, 0.2, delta)
ae_ig(1.2, 0.2, delta)
```

Kumaraswamy distribution

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Kumaraswamy distribution

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Kumaraswamy distribution.

Usage

```
se_kum(alpha, beta)
re_kum(alpha, beta, delta)
hce_kum(alpha, beta, delta)
ae_kum(alpha, beta, delta)
```

Arguments

alpha	The strictly positive shape parameter of the Kumaraswamy distribution ($\alpha > 0$).
beta	The strictly positive shape parameter of the Kumaraswamy distribution ($\beta > 0$).
delta	The strictly positive scale parameter ($\delta > 0$).

Details

The following is the probability density function of the Kumaraswamy distribution:

$$f(x) = \alpha\beta x^{\alpha-1} (1 - x^\alpha)^{\beta-1},$$

where $0 \leq x \leq 1$, $\alpha > 0$ and $\beta > 0$.

Value

The functions `se_kum`, `re_kum`, `hce_kum`, and `ae_kum` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Kumaraswamy distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoar84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

El-Sherpieny, E. S. A., & Ahmed, M. A. (2014). On the Kumaraswamy distribution. *International Journal of Basic and Applied Sciences*, 3(4), 372.

Al-Babtain, A. A., Elbatal, I., Chesneau, C., & Elgarhy, M. (2021). Estimation of different types of entropies for the Kumaraswamy distribution. *PLoS One*, 16(3), e0249027.

See Also

[re_beta](#)

Examples

```
se_kum(1.2, 1.4)
delta <- c(1.5, 2, 3)
re_kum(1.2, 1.4, delta)
hce_kum(1.2, 1.4, delta)
ae_kum(1.2, 1.4, delta)
```

Kumaraswamy exponential distribution

Compute the Rényi, Havrda and Charvat, and Arimoto entropies of the Kumaraswamy exponential distribution

Description

Compute the Rényi, Havrda and Charvat, and Arimoto entropies of the Kumaraswamy exponential distribution.

Usage

```
re_kexp(lambda, a, b, delta)
hce_kexp(lambda, a, b, delta)
ae_kexp(lambda, a, b, delta)
```

Arguments

a	The strictly positive shape parameter of the Kumaraswamy distribution ($a > 0$).
b	The strictly positive shape parameter of the Kumaraswamy distribution ($b > 0$).
lambda	The strictly positive parameter of the exponential distribution ($\lambda > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the Kumaraswamy exponential distribution:

$$f(x) = ab\lambda e^{-\lambda x} (1 - e^{-\lambda x})^{a-1} \left\{ 1 - (1 - e^{-\lambda x})^a \right\}^{b-1},$$

where $x > 0$, $a > 0$, $b > 0$ and $\lambda > 0$.

Value

The functions `re_kexp`, `hce_kexp`, and `ae_kexp` provide the Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Kumaraswamy exponential distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Cordeiro, G. M., & de Castro, M. (2011). A new family of generalized distributions. *Journal of Statistical Computation and Simulation*, 81(7), 883-898.

See Also

[re_exp](#), [re_kum](#)

Examples

```
delta <- c(1.5, 2, 3)
re_kexp(1.2, 1.2, 1.4, delta)
hce_kexp(1.2, 1.2, 1.4, delta)
ae_kexp(1.2, 1.2, 1.4, delta)
```

Kumaraswamy normal distribution

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Kumaraswamy normal distribution

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Kumaraswamy normal distribution.

Usage

```
se_kumnorm(mu, sigma, a, b)
re_kumnorm(mu, sigma, a, b, delta)
hce_kumnorm(mu, sigma, a, b, delta)
ae_kumnorm(mu, sigma, a, b, delta)
```

Arguments

mu	The location parameter of the normal distribution ($\mu \in (-\infty, +\infty)$).
sigma	The strictly positive scale parameter of the normal distribution ($\sigma > 0$).
a	The strictly positive shape parameter of the Kumaraswamy distribution ($a > 0$).
b	The strictly positive shape parameter of the Kumaraswamy distribution ($b > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the Kumaraswamy normal distribution:

$$f(x) = \frac{ab}{\sigma} \phi\left(\frac{x-\mu}{\sigma}\right) \left[\Phi\left(\frac{x-\mu}{\sigma}\right)\right]^{a-1} \left[1 - \Phi\left(\frac{x-\mu}{\sigma}\right)\right]^b,$$

where $x \in (-\infty, +\infty)$, $\mu \in (-\infty, +\infty)$, $\sigma > 0$, $a > 0$ and $b > 0$, and the functions $\phi(t)$ and $\Phi(t)$, denote the probability density function and cumulative distribution function of the standard normal distribution, respectively.

Value

The functions `se_kumnorm`, `re_kumnorm`, `hce_kumnorm`, and `ae_kumnorm` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Kumaraswamy normal distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Cordeiro, G. M., & de Castro, M. (2011). A new family of generalized distributions. *Journal of Statistical Computation and Simulation*, 81(7), 883-898.

See Also

[re_norm](#), [re_kum](#)

Examples

```
se_kumnorm(0.2, 1.5, 1, 1)
delta <- c(1.5, 2, 3)
re_kumnorm(1.2, 1, 2, 1.5, delta)
hce_kumnorm(1.2, 1, 2, 1.5, delta)
ae_kumnorm(1.2, 1, 2, 1.5, delta)
```

Laplace distribution	<i>Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Laplace or the double exponential distribution</i>
----------------------	--

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Laplace distribution.

Usage

```
Se_lap(alpha, beta)
re_lap(alpha, beta, delta)
hce_lap(alpha, beta, delta)
ae_lap(alpha, beta, delta)
```

Arguments

alpha	The location parameter of the Laplace distribution ($\alpha \in (-\infty, +\infty)$).
beta	The strictly positive scale parameter of the Laplace distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the Laplace distribution:

$$f(x) = \frac{1}{2\beta} e^{\frac{-|x-\alpha|}{\beta}},$$

where $x \in (-\infty, +\infty)$, $\alpha \in (-\infty, +\infty)$ and $\beta > 0$.

Value

The functions `Se_lap`, `re_lap`, `hce_lap`, and `ae_lap` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Laplace distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Cordeiro, G. M., & Lemonte, A. J. (2011). The beta Laplace distribution. *Statistics & Probability Letters*, 81(8), 973-982.

See Also

[re_gum](#), [re_norm](#)

Examples

```
Se_lap(0.2, 1.4)
delta <- c(2, 3)
re_lap(1.2, 0.4, delta)
hce_lap(1.2, 0.4, delta)
ae_lap(1.2, 0.4, delta)
```

Log-normal distribution

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the log-normal distribution

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the log-normal distribution.

Usage

```
se_lnorm(mu, sigma)
re_lnorm(mu, sigma, delta)
hce_lnorm(mu, sigma, delta)
ae_lnorm(mu, sigma, delta)
```

Arguments

mu	The location parameter ($\mu \in (-\infty, +\infty)$).
sigma	The strictly positive scale parameter of the log-normal distribution ($\sigma > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the log-normal distribution:

$$f(x) = \frac{1}{x\sigma\sqrt{2\pi}} e^{-\frac{(\log(x)-\mu)^2}{2\sigma^2}},$$

where $x > 0$, $\mu \in (-\infty, +\infty)$ and $\sigma > 0$.

Value

The functions `se_lnorm`, `re_lnorm`, `hce_lnorm`, and `ae_lnorm` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the log-normal distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoar84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Johnson, N. L., Kotz, S., & Balakrishnan, N. (1995). Continuous univariate distributions, Volume 1, Chapter 14. Wiley, New York.

See Also[re_wei](#), [re_norm](#)**Examples**

```
se_lnorm(0.2, 1.4)
delta <- c(2, 3)
re_lnorm(1.2, 0.4, delta)
hce_lnorm(1.2, 0.4, delta)
ae_lnorm(1.2, 0.4, delta)
```

Logistic distribution *Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the logistic distribution*

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the logistic distribution.

Usage

```
se_logis(mu, sigma)
re_logis(mu, sigma, delta)
hce_logis(mu, sigma, delta)
ae_logis(mu, sigma, delta)
```

Arguments

mu	The location parameter of the logistic distribution ($\mu \in (-\infty, +\infty)$).
sigma	The strictly positive scale parameter of the logistic distribution ($\sigma > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the logistic distribution:

$$f(x) = \frac{e^{-\frac{(x-\mu)}{\sigma}}}{\sigma \left(1 + e^{-\frac{(x-\mu)}{\sigma}}\right)^2},$$

where $x \in (-\infty, +\infty)$, $\mu \in (-\infty, +\infty)$ and $\sigma > 0$.

Value

The functions `se_logis`, `re_logis`, `hce_logis`, and `ae_logis` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the logistic distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Johnson, N. L., Kotz, S., & Balakrishnan, N. (1995). Continuous univariate distributions, Volume 2 (Vol. 289). John Wiley & Sons.

See Also

[re_gum](#), [re_norm](#)

Examples

```
se_logis(0.2, 1.4)
delta <- c(2, 3)
re_logis(1.2, 0.4, delta)
hce_logis(1.2, 0.4, delta)
ae_logis(1.2, 0.4, delta)
```

Lomax distribution	<i>Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Lomax distribution</i>
--------------------	--

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Lomax distribution.

Usage

```
se_lom(alpha, beta)
re_lom(alpha, beta, delta)
hce_lom(alpha, beta, delta)
ae_lom(alpha, beta, delta)
```

Arguments

alpha	The strictly positive shape parameter of the Lomax distribution ($\alpha > 0$).
beta	The strictly positive scale parameter of the Lomax distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the Lomax distribution:

$$f(x) = \frac{\alpha}{\beta} \left(1 + \frac{x}{\beta}\right)^{-\alpha-1},$$

where $x > 0$, $\alpha > 0$ and $\beta > 0$.

Value

The functions `se_lom`, `re_lom`, `hce_lom`, and `ae_lom` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Lomax distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoar84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Abd-Elfattah, A. M., Alaboud, F. M., & Alharby, A. H. (2007). On sample size estimation for Lomax distribution. *Australian Journal of Basic and Applied Sciences*, 1(4), 373-378.

See Also

[re_exp](#), [re_gamma](#)

Examples

```
se_lom(1.2, 0.2)
delta <- c(1.5, 2, 3)
re_lom(1.2, 0.2, delta)
hce_lom(1.2, 0.2, delta)
ae_lom(1.2, 0.2, delta)
```

Nakagami distribution *Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Nakagami distribution*

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Nakagami distribution.

Usage

```
se_naka(alpha, beta)
re_naka(alpha, beta, delta)
hce_naka(alpha, beta, delta)
ae_naka(alpha, beta, delta)
```

Arguments

alpha	The strictly positive scale parameter of the Nakagami distribution ($\alpha > 0$).
beta	The strictly positive shape parameter of the Nakagami distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the Nakagami distribution:

$$f(x) = \frac{2\alpha^\alpha}{\Gamma(\alpha)\beta^\alpha} x^{2\alpha-1} e^{-\frac{\alpha x^2}{\beta}},$$

where $x > 0$, $\alpha > 0$ and $\beta > 0$, and $\Gamma(a)$ is the standard gamma function.

Value

The functions `se_naka`, `re_naka`, `hce_naka`, and `ae_naka` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Nakagami distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Schwartz, J., Godwin, R. T., & Giles, D. E. (2013). Improved maximum-likelihood estimation of the shape parameter in the Nakagami distribution. *Journal of Statistical Computation and Simulation*, 83(3), 434-445.

See Also

[re_exp](#), [re_gamma](#), [re_we](#)

Examples

```
se_naka(1.2, 0.2)
delta <- c(1.5, 2, 3)
re_naka(1.2, 0.2, delta)
hce_naka(1.2, 0.2, delta)
ae_naka(1.2, 0.2, delta)
```

Normal distribution	<i>Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the normal distribution</i>
---------------------	---

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the normal distribution.

Usage

```
se_norm(alpha, beta)
re_norm(alpha, beta, delta)
hce_norm(alpha, beta, delta)
ae_norm(alpha, beta, delta)
```

Arguments

alpha	The location parameter of the normal distribution ($\alpha \in (-\infty, +\infty)$).
beta	The strictly positive scale parameter of the normal distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the normal distribution:

$$f(x) = \frac{1}{\beta\sqrt{2\pi}} e^{-0.5\left(\frac{x-\alpha}{\beta}\right)^2},$$

where $x \in (-\infty, +\infty)$, $\alpha \in (-\infty, +\infty)$ and $\beta > 0$. The parameters α and β represent the mean and standard deviation, respectively.

Value

The functions `se_norm`, `re_norm`, `hce_norm`, and `ae_norm` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Normal distribution and δ .

Author(s)

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References

Patel, J. K., & Read, C. B. (1996). Handbook of the normal distribution (Vol. 150). CRC Press.

See Also[re_gum](#)**Examples**

```
se_norm(0.2, 1.4)
delta <- c(1.5, 2, 3)
re_norm(0.2, 1.4, delta)
hce_norm(0.2, 1.4, delta)
ae_norm(0.2, 1.4, delta)
```

Rayleigh distribution *Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Rayleigh distribution*

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Rayleigh distribution.

Usage

```
se_ray(alpha)
re_ray(alpha, delta)
hce_ray(alpha, delta)
ae_ray(alpha, delta)
```

Arguments

alpha	The strictly positive parameter of the Rayleigh distribution ($\alpha > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the Rayleigh distribution:

$$f(x) = 2\alpha x e^{-\alpha x^2},$$

where $x > 0$ and $\alpha > 0$.

Value

The functions `se_ray`, `re_ray`, `hce_ray`, and `ae_ray` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Rayleigh distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Dey, S., Maiti, S. S., & Ahmad, M. (2016). Comparison of different entropy measures. *Pak. J. Statist*, 32(2), 97-108.

Arimoto, S. (1971). Information-theoretical considerations on estimation problems. *Inf. Control*, 19, 181-194.

See Also

[re_exp](#), [re_gamma](#), [re_wei](#)

Examples

```
se_ray(0.2)
delta <- c(1.5, 2, 3)
re_ray(0.2, delta)
hce_ray(0.2, delta)
ae_ray(0.2, delta)
# A graphic representation of the Rényi entropy (RE)
library(ggplot2)
delta <- c(1.5, 2, 3)
z <- re_ray(0.2, delta)
dat <- data.frame(x = delta, RE = z)
p_re <- ggplot(dat, aes(x = delta, y = RE)) + geom_line()
plot <- p_re + ggtitle(expression(alpha == 0.2))
# A graphic presentation of the Havrda and Charvat entropy (HCE)
delta <- c(1.5, 2, 3)
z <- hce_ray(0.2, delta)
dat <- data.frame(x = delta, HCE = z)
p_hce <- ggplot(dat, aes(x = delta, y = HCE)) + geom_line()
plot <- p_hce + ggtitle(expression(alpha == 0.2))
```

Student's *t* distribution

*Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Student's *t* distribution*

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Student's *t* distribution.

Usage

```
se_st(v)
re_st(v, delta)
hce_st(v, delta)
ae_st(v, delta)
```

Arguments

<code>v</code>	The strictly positive parameter of the Student's <i>t</i> distribution ($v > 0$), also called a degree of freedom.
<code>delta</code>	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the Student *t* distribution:

$$f(x) = \frac{\Gamma(\frac{v+1}{2})}{\sqrt{v\pi}\Gamma(\frac{v}{2})} \left(1 + \frac{x^2}{v}\right)^{-(v+1)/2},$$

where $x \in (-\infty, +\infty)$ and $v > 0$, and $\Gamma(a)$ is the standard gamma function.

Value

The functions `se_st`, `re_st`, `hce_st`, and `ae_st` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Student's *t* distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshako084@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

- Yang, Z., Fang, K. T., & Kotz, S. (2007). On the Student's *t*-distribution and the *t*-statistic. *Journal of Multivariate Analysis*, 98(6), 1293-1304.
- Ahsanullah, M., Kibria, B. G., & Shakil, M. (2014). *Normal and Student's t distributions and their applications* (Vol. 4). Paris, France: Atlantis Press.
- Arimoto, S. (1971). Information-theoretical considerations on estimation problems. *Inf. Control*, 19, 181-194.

See Also

[re_exp](#), [re_gamma](#)

Examples

```
se_st(4)
delta <- c(1.5, 2, 3)
re_st(4, delta)
hce_st(4, delta)
ae_st(4, delta)
```

Truncated beta distribution

Relative loss for various entropy measures using the truncated beta distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated beta distribution.

Usage

```
rlse_beta(p, alpha, beta)
rlre_beta(p, alpha, beta, delta)
rlhce_beta(p, alpha, beta, delta)
rlae_beta(p, alpha, beta, delta)
```

Arguments

alpha	The strictly positive shape parameter of the beta distribution ($\alpha > 0$).
beta	The strictly positive shape parameter of the beta distribution ($\beta > 0$).
p	The truncation time ($p > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_beta`, `rlre_beta`, `rlhce_beta`, and `rlae_beta` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated beta distribution, p and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoar84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

- Gupta, A. K., & Nadarajah, S. (2004). Handbook of beta distribution and its applications. CRC Press.
- Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. IMA Journal of Mathematical Control and Information, 4(2), 143-148.

See Also

[re_beta](#)

Examples

```
p <- c(0.25, 0.50, 0.75)
rlse_beta(p, 0.2, 0.4)
rlre_beta(p, 0.2, 0.4, 0.5)
rlhce_beta(p, 0.2, 0.4, 0.5)
rlae_beta(p, 0.2, 0.4, 0.5)
```

Truncated Birnbaum-Saunders distribution

*Relative loss for various entropy measures using the truncated
Birnbaum-Saunders distribution*

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated Birnbaum-Saunders distribution.

Usage

```
rlse_bs(p, v)
rlre_bs(p, v, delta)
rlhce_bs(p, v, delta)
rlae_bs(p, v, delta)
```

Arguments

- | | |
|--------------------|--|
| <code>v</code> | The strictly positive scale parameter of the Birnbaum-Saunders distribution ($v > 0$). |
| <code>p</code> | The truncation time ($p > 0$). |
| <code>delta</code> | The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$). |

Value

The functions `rlse_bs`, `rlre_bs`, `rlhce_bs`, and `rlae_bs` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated Birnbaum-Saunders distribution, p and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. *IMA Journal of Mathematical Control and Information*, 4(2), 143-148.

Chan, S., Nadarajah, S., & Afuecheta, E. (2016). An R package for value at risk and expected shortfall. *Communications in Statistics Simulation and Computation*, 45(9), 3416-3434.

Arimoto, S. (1971). Information-theoretical considerations on estimation problems. *Inf. Control*, 19, 181-194.

See Also

[re_bs](#)

Examples

```
p <- c(1, 1.7, 3)
rlse_bs(p, 0.2)
rlre_bs(p, 0.2, 0.5)
rlhce_bs(p, 0.2, 0.5)
rlae_bs(p, 0.2, 0.5)
```

Truncated Chi-squared distribution

Relative loss for various entropy measures using the truncated Chi-squared distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated Chi-squared distribution.

Usage

```
rlse_chi(p, n)
rlre_chi(p, n, delta)
rlhce_chi(p, n, delta)
rlae_chi(p, n, delta)
```

Arguments

n	The degree of freedom and positive parameter of the Chi-squared distribution ($n > 0$).
p	The truncation time ($p > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_chi`, `rlre_chi`, `rlhce_chi`, and `rlae_chi` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated Chi-squared distribution, p and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. IMA Journal of Mathematical Control and Information, 4(2), 143-148.

Johnson, N. L., Kotz, S., & Balakrishnan, N. (1995). Continuous univariate distributions, volume 2 (Vol. 289). John Wiley & Sons.

See Also

[re_chi](#)

Examples

```
p <- c(1, 1.7, 3)
rlse_chi(p, 2)
rlre_chi(p, 2, 0.5)
rlhce_chi(p, 2, 0.5)
rlae_chi(p, 2, 0.5)
```

Truncated exponential distribution

Relative loss for various entropy measures using the truncated exponential distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated exponential distribution.

Usage

```
rlse_exp(p, alpha)
rlre_exp(p, alpha, delta)
rlhce_exp(p, alpha, delta)
rlae_exp(p, alpha, delta)
```

Arguments

alpha	The strictly positive scale parameter of the exponential distribution ($\alpha > 0$).
p	The truncation time ($p > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_exp`, `rlre_exp`, `rlhce_exp`, and `rlae_exp` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated exponential distribution, p and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. *IMA Journal of Mathematical Control and Information*, 4(2), 143-148.

See Also

[re_exp](#)

Examples

```
p <- c(1, 1.7, 3)
rlse_exp(p, 2)
rlre_exp(p, 2, 0.5)
rlhce_exp(p, 2, 0.5)
rlae_exp(p, 2, 0.5)
```

Truncated exponential extension distribution

Relative loss for various entropy measures using the truncated exponential extension distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated exponential extension distribution.

Usage

```
rlse_nh(p, alpha, beta)
rlre_nh(p, alpha, beta, delta)
rlhce_nh(p, alpha, beta, delta)
rlae_nh(p, alpha, beta, delta)
```

Arguments

alpha	The strictly positive parameter of the exponential extension distribution ($\alpha > 0$).
beta	The strictly positive parameter of the exponential extension distribution ($\beta > 0$).
p	The truncation time ($p > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_nh`, `rlre_nh`, `rlhce_nh`, and `rlae_nh` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated exponential extension distribution, p and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. IMA Journal of Mathematical Control and Information, 4(2), 143-148.

Nadarajah, S., & Haghighi, F. (2011). An extension of the exponential distribution. Statistics, 45(6), 543-558.

See Also

[re_nh](#)

Examples

```
p <- c(0.25, 0.50, 0.75)
rlse_nh(p, 1.2, 0.2)
rlre_nh(p, 1.2, 0.2, 0.5)
rlhce_nh(p, 1.2, 0.2, 0.5)
rlae_nh(p, 1.2, 0.2, 0.5)
```

Truncated F distribution

Relative loss for various entropy measures using the truncated F distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated F distribution.

Usage

```
rlse_f(p, alpha, beta)
rlre_f(p, alpha, beta, delta)
rlhce_f(p, alpha, beta, delta)
rlae_f(p, alpha, beta, delta)
```

Arguments

alpha	The strictly positive parameter (first degree of freedom) of the F distribution ($\alpha > 0$).
beta	The strictly positive parameter (second degree of freedom) of the F distribution ($\beta > 0$).
p	The truncation time ($p > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_f`, `rlre_f`, `rlhce_f`, and `rlae_f` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated F distribution, p and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshako0r84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. IMA Journal of Mathematical Control and Information, 4(2), 143-148. Johnson, N. L., Kotz, S., & Balakrishnan, N. (1995). Continuous univariate distributions, volume 2 (Vol. 289). John Wiley & Sons.

See Also

[re_f](#)

Examples

```
p <- c(1.25, 1.50, 1.75)
rlse_f(p, 4, 6)
rlre_f(p, 4, 6, 0.5)
rlhce_f(p, 4, 6, 0.5)
rlae_f(p, 4, 6, 0.5)
```

Truncated gamma distribution

Relative loss for various entropy measures using the truncated gamma distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated gamma distribution.

Usage

```
rlse_gamma(p, alpha, beta)
rlre_gamma(p, alpha, beta, delta)
rlhce_gamma(p, alpha, beta, delta)
rlae_gamma(p, alpha, beta, delta)
```

Arguments

alpha	The strictly positive shape parameter of the gamma distribution ($\alpha > 0$).
beta	The strictly positive scale parameter of the gamma distribution ($\beta > 0$).
p	The truncation time ($p > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_gamma`, `rlre_gamma`, `rlhce_gamma`, and `rlae_gamma` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated gamma distribution, p and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. IMA Journal of Mathematical Control and Information, 4(2), 143-148.

Burgin, T. A. (1975). The gamma distribution and inventory control. Journal of the Operational Research Society, 26(3), 507-525.

See Also

[re_gamma](#)

Examples

```
p <- c(1, 1.50, 1.75)
rlse_gamma(p, 0.2, 1)
rlre_gamma(p, 0.2, 1, 0.5)
rlhce_gamma(p, 0.2, 1, 0.5)
rlae_gamma(p, 0.2, 1, 0.5)
```

Truncated Gompertz distribution

Relative loss for various entropy measures using the truncated Gompertz distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated Gompertz distribution.

Usage

```
rlse_gomp(p, alpha, beta)
rlre_gomp(p, alpha, beta, delta)
rlhce_gomp(p, alpha, beta, delta)
rlae_gomp(p, alpha, beta, delta)
```

Arguments

alpha	The strictly positive parameter of the Gompertz distribution ($\alpha > 0$).
beta	The strictly positive parameter of the Gompertz distribution ($\beta > 0$).
p	The truncation time ($p > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_gomp`, `rlre_gomp`, `rlhce_gomp`, and `rlae_gomp` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated Gompertz distribution, p and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshako0r84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. *IMA Journal of Mathematical Control and Information*, 4(2), 143-148.

Soliman, A. A., Abd-Allah, A. H., Abou-Elheggag, N. A., & Abd-Elmougod, G. A. (2012). Estimation of the parameters of life for Gompertz distribution using progressive first-failure censored data. *Computational Statistics & Data Analysis*, 56(8), 2471-2485.

See Also

[re_gomp](#)

Examples

```
p <- c(0.25, 0.50)
rlse_gomp(p, 2.4, 0.2)
rlre_gomp(p, 2.4, 0.2, 0.5)
rlhce_gomp(p, 2.4, 0.2, 0.5)
rlae_gomp(p, 2.4, 0.2, 0.5)
```

Truncated Gumbel distribution

Relative loss for various entropy measures using the truncated Gumbel distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated Gumbel distribution.

Usage

```
rlse_gum(p, alpha, beta)
rlre_gum(p, alpha, beta, delta)
rlhce_gum(p, alpha, beta, delta)
rlae_gum(p, alpha, beta, delta)
```

Arguments

alpha	The location parameter of the Gumbel distribution ($\alpha \in (-\infty, +\infty)$).
beta	The strictly positive scale parameter of the Gumbel distribution ($\beta > 0$).
p	The truncation time ($p > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_gum`, `rlre_gum`, `rlhce_gum`, and `rlae_gum` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated Gumbel distribution, p and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. *IMA Journal of Mathematical Control and Information*, 4(2), 143-148.

Gomez, Y. M., Bolfarine, H., & Gomez, H. W. (2019). Gumbel distribution with heavy tails and applications to environmental data. *Mathematics and Computers in Simulation*, 157, 115-129.

See Also

[re_gum](#)

Examples

```
p <- c(1.8, 2.2)
rlse_gum(p, 4, 2)
rlre_gum(p, 4, 2, 2)
rlhce_gum(p, 4, 2, 2)
rlae_gum(p, 4, 2, 2)
```

Truncated inverse-gamma distribution

Relative loss for various entropy measures using the truncated inverse-gamma distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated inverse-gamma distribution.

Usage

```
rlse_ig(p, alpha, beta)
rlre_ig(p, alpha, beta, delta)
rlhce_ig(p, alpha, beta, delta)
rlae_ig(p, alpha, beta, delta)
```

Arguments

alpha	The strictly positive shape parameter of the inverse-gamma distribution ($\alpha > 0$).
beta	The strictly positive scale parameter of the inverse-gamma distribution ($\beta > 0$).
p	The truncation time ($p > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_ig`, `rlre_ig`, `rlhce_ig`, and `rlae_ig` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated inverse-gamma distribution, p and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. *IMA Journal of Mathematical Control and Information*, 4(2), 143-148.

Rivera, P. A., Calderín-Ojeda, E., Gallardo, D. I., & Gómez, H. W. (2021). A compound class of the inverse Gamma and power series distributions. *Symmetry*, 13(8), 1328.

See Also

[re_ig](#)

Examples

```
p <- c(1.25, 1.50)
rlse_ig(p, 1.2, 0.2)
rlre_ig(p, 1.2, 0.2, 0.5)
rlhce_ig(p, 1.2, 0.2, 0.5)
rlae_ig(p, 1.2, 0.2, 0.5)
```

Truncated Kumaraswamy distribution

Relative loss for various entropy measures using the truncated Kumaraswamy distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated Kumaraswamy distribution.

Usage

```
rlse_kum(p, alpha, beta)
rlre_kum(p, alpha, beta, delta)
rlhce_kum(p, alpha, beta, delta)
rlae_kum(p, alpha, beta, delta)
```

Arguments

alpha	The strictly positive shape parameter of the Kumaraswamy distribution ($\alpha > 0$).
beta	The strictly positive shape parameter of the Kumaraswamy distribution ($\beta > 0$).
p	The truncation time ($p > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_kum`, `rlre_kum`, `rlhce_kum`, and `rlae_kum` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated Kumaraswamy distribution, p and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoar84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

- Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. *IMA Journal of Mathematical Control and Information*, 4(2), 143-148.
- El-Sherpieny, E. S. A., & Ahmed, M. A. (2014). On the Kumaraswamy distribution. *International Journal of Basic and Applied Sciences*, 3(4), 372.
- Al-Babtain, A. A., Elbatal, I., Chesneau, C., & Elgarhy, M. (2021). Estimation of different types of entropies for the Kumaraswamy distribution. *PLoS One*, 16(3), e0249027.

See Also

[re_kum](#)

Examples

```
p <- c(0.25, 0.50, 0.75)
rlse_kum(p, 0.2, 0.4)
rlre_kum(p, 0.2, 0.4, 0.5)
rlhce_kum(p, 0.2, 0.4, 0.5)
rlae_kum(p, 0.2, 0.4, 0.5)
```

Truncated Laplace distribution

Relative loss for various entropy measures using the truncated Laplace distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated Laplace distribution.

Usage

```
rlse_lap(p, alpha, beta)
rlre_lap(p, alpha, beta, delta)
rlhce_lap(p, alpha, beta, delta)
rlae_lap(p, alpha, beta, delta)
```

Arguments

- | | |
|-------|---|
| alpha | Location parameter of the Laplace distribution ($\alpha \in (-\infty, +\infty)$). |
| beta | The strictly positive scale parameter of the Laplace distribution ($\beta > 0$). |
| p | The truncation time ($p > 0$). |
| delta | The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$). |

Value

The functions `rlse_lap`, `rlre_lap`, `rlhce_lap`, and `rlae_lap` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated Laplace distribution, p and δ .

Author(s)

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References

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. *IMA Journal of Mathematical Control and Information*, 4(2), 143-148.

Cordeiro, G. M., & Lemonte, A. J. (2011). The beta Laplace distribution. *Statistics & Probability Letters*, 81(8), 973-982.

See Also

[re_lap](#)

Examples

```
p <- c(0.25, 0.50, 0.75)
rlse_lap(p, 0.2, 0.4)
rlre_lap(p, 0.2, 0.4, 0.5)
rlhce_lap(p, 0.2, 0.4, 0.5)
rlae_lap(p, 0.2, 0.4, 0.5)
```

Truncated Nakagami distribution

Relative loss for various entropy measures using the truncated Nakagami distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated Nakagami distribution.

Usage

```
rlse_naka(p, alpha, beta)
rlre_naka(p, alpha, beta, delta)
rlhce_naka(p, alpha, beta, delta)
rlae_naka(p, alpha, beta, delta)
```

Arguments

<code>alpha</code>	The strictly positive scale parameter of the Nakagami distribution ($\alpha > 0$).
<code>beta</code>	The strictly positive shape parameter of the Nakagami distribution ($\beta > 0$).
<code>p</code>	The truncation time ($p > 0$).
<code>delta</code>	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_naka`, `rlre_naka`, `rlhce_naka`, and `rlae_naka` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated Nakagami distribution, p and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. *IMA Journal of Mathematical Control and Information*, 4(2), 143-148.

Schwartz, J., Godwin, R. T., & Giles, D. E. (2013). Improved maximum-likelihood estimation of the shape parameter in the Nakagami distribution. *Journal of Statistical Computation and Simulation*, 83(3), 434-445.

See Also

[re_naka](#)

Examples

```
p <- c(1.25, 1.50, 1.75)
rlse_naka(p, 0.2, 1)
rlre_naka(p, 0.2, 1, 0.5)
rlhce_naka(p, 0.2, 1, 0.5)
rlae_naka(p, 0.2, 1, 0.5)
```

Truncated normal distribution

Relative loss for various entropy measures using the truncated normal distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated normal distribution.

Usage

```
rlse_norm(p, alpha, beta)
rlre_norm(p, alpha, beta, delta)
rlhce_norm(p, alpha, beta, delta)
rlae_norm(p, alpha, beta, delta)
```

Arguments

alpha	The location parameter of the normal distribution ($\alpha \in (-\infty, +\infty)$).
beta	The strictly positive scale parameter of the normal distribution ($\beta > 0$).
p	The truncation time ($p > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_norm`, `rlre_norm`, `rlhce_norm`, and `rlae_norm` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated normal distribution, p and δ .

Author(s)

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References

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. *IMA Journal of Mathematical Control and Information*, 4(2), 143-148.

Patel, J. K., & Read, C. B. (1996). *Handbook of the normal distribution* (Vol. 150). CRC Press.

See Also

[re_norm](#)

Examples

```
p <- c(0.25, 0.50, 0.75)
rlse_norm(p, 0.2, 1)
rlre_norm(p, 0.2, 1, 0.5)
rlhce_norm(p, 0.2, 1, 0.5)
rlae_norm(p, 0.2, 1, 0.5)
```

Truncated Rayleigh distribution

Relative loss for various entropy measures using the truncated Rayleigh distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated Rayleigh distribution.

Usage

```
rlse_ray(p, alpha)
rlre_ray(p, alpha, delta)
rlhce_ray(p, alpha, delta)
rlae_ray(p, alpha, delta)
```

Arguments

alpha	The strictly positive scale parameter of the Rayleigh distribution ($\alpha > 0$).
p	The truncation time ($p > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_ray`, `rlre_ray`, `rlhce_ray`, and `rlae_ray` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated Rayleigh distribution, p and δ .

Author(s)

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R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

- Dey, S., Maiti, S. S., & Ahmad, M. (2016). Comparison of different entropy measures. *Pak. J. Statist*, 32(2), 97-108.
- Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. *IMA Journal of Mathematical Control and Information*, 4(2), 143-148.

See Also

[re_ray](#)

Examples

```
p <- seq(0.25, 2, by=0.25)
rlse_ray(p, 2)
rlre_ray(p, 2, 0.5)
rlhce_ray(p, 2, 0.5)
rlae_ray(p, 2, 0.5)

# A graphic representation of relative loss (RL)
library(ggplot2)
# p is a truncation time vector
p <- seq(0.25, 2, by = 0.25)
# RL based on the Rényi entropy
z1 <- rlre_ray(p, 0.1, 0.5)
# RL based on the Havrda and Charvat entropy
z2 <- rlhce_ray(p, 0.1, 0.5)
# RL based on the Arimoto entropy
z3 <- rlae_ray(p, 0.1, 0.5)
# RL based on the Shannon entropy
z4 <- rlse_ray(p, 0.1)
df <- data.frame(x = p, RL = z1, z2, z3, z4)
head(df)
p1 <- ggplot(df, aes(x = p, y = RL, color = Entropy))
p1 + geom_line(aes(colour = "RE"), size = 1) + geom_line(aes(x,
  y = z2, colour = "HCE"), size = 1) + geom_line(aes(x, y = z3,
  colour = "AR"), size = 1) + geom_line(aes(x, y = z4, colour = "SE"),
  size = 1) + ggtitle(expression(delta == 0.5 ~ ~alpha == 0.1))
```

Truncated Student's t distribution

Relative loss for various entropy measures using the truncated Student's t distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated Student's t distribution.

Usage

```
rlse_st(p, v)
rlre_st(p, v, delta)
rlhce_st(p, v, delta)
rlae_st(p, v, delta)
```

Arguments

<code>v</code>	The strictly positive parameter of the Student distribution ($v > 0$), also called a degree of freedom.
<code>p</code>	The truncation time ($p > 0$).
<code>delta</code>	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_st`, `rlre_st`, `rlhce_st`, and `rlae_st` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated Student's t distribution, p and δ .

Author(s)

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R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Yang, Z., Fang, K. T., & Kotz, S. (2007). On the Student's t -distribution and the t -statistic. *Journal of Multivariate Analysis*, 98(6), 1293-1304.

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. *IMA Journal of Mathematical Control and Information*, 4(2), 143-148.

See Also

[re_st](#)

Examples

```
p <- c(1, 1.7, 3)
rlse_st(p, 4)
rlre_st(p, 4, 0.5)
rlhce_st(p, 4, 0.5)
rlae_st(p, 4, 0.5)
```

Truncated Weibull distribution

Relative loss for various entropy measures using the truncated Weibull distribution

Description

Compute the relative information loss of the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the truncated Weibull distribution.

Usage

```
rlse_wei(p, alpha, beta)
rlre_wei(p, alpha, beta, delta)
rlhce_wei(p, alpha, beta, delta)
rlae_wei(p, alpha, beta, delta)
```

Arguments

alpha	The strictly positive scale parameter of the Weibull distribution ($\alpha > 0$).
beta	The strictly positive shape parameter of the Weibull distribution ($\beta > 0$).
p	The truncation time ($p > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Value

The functions `rlse_wei`, `rlre_wei`, `rlhce_wei`, and `rlae_wei` provide the relative information loss based on the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the truncated Weibull distribution, p and δ .

Author(s)

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R implementation and documentation: Muhammad Imran <imranshakoor84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Awad, A. M., & Alawneh, A. J. (1987). Application of entropy to a life-time model. *IMA Journal of Mathematical Control and Information*, 4(2), 143-148.

Weibull, W. (1951). A statistical distribution function of wide applicability. *Journal of applied mechanics*, 18, 293-297.

See Also

[re_wei](#)

Examples

```
p <- c(1, 1.7, 3)
rlse_wei(p, 2, 1)
rlre_wei(p, 2, 1, 0.5)
rlhce_wei(p, 2, 1, 0.5)
rlae_wei(p, 2, 1, 0.5)
```

Weibull distribution	<i>Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Weibull distribution</i>
----------------------	--

Description

Compute the Shannon, Rényi, Havrda and Charvat, and Arimoto entropies of the Weibull distribution.

Usage

```
se_wei(alpha, beta)
re_wei(alpha, beta, delta)
hce_wei(alpha, beta, delta)
ae_wei(alpha, beta, delta)
```

Arguments

alpha	The strictly positive scale parameter of the Weibull distribution ($\alpha > 0$).
beta	The strictly positive shape parameter of the Weibull distribution ($\beta > 0$).
delta	The strictly positive parameter ($\delta > 0$) and ($\delta \neq 1$).

Details

The following is the probability density function of the Weibull distribution:

$$f(x) = \frac{\beta}{\alpha} \left(\frac{x}{\alpha}\right)^{\beta-1} e^{-\left(\frac{x}{\alpha}\right)^\beta},$$

where $x > 0$, $\alpha > 0$ and $\beta > 0$.

Value

The functions `se_wei`, `re_wei`, `hce_wei`, and `ae_wei` provide the Shannon entropy, Rényi entropy, Havrda and Charvat entropy, and Arimoto entropy, respectively, depending on the selected parametric values of the Weibull distribution and δ .

Author(s)

Muhammad Imran, Christophe Chesneau and Farrukh Jamal

R implementation and documentation: Muhammad Imran <imranshakoar84@yahoo.com>, Christophe Chesneau <christophe.chesneau@unicaen.fr> and Farrukh Jamal <farrukh.jamal@iub.edu.pk>.

References

Weibull, W. (1951). A statistical distribution function of wide applicability. *Journal of applied mechanics*, 18, 293-297.

See Also

[re_exp](#), [re_gamma](#), [re_ee](#)

Examples

```
se_wei(1.2, 0.2)
delta <- c(1.5, 2, 3)
re_wei(1.2, 0.2, delta)
hce_wei(1.2, 0.2, delta)
ae_wei(1.2, 0.2, delta)
```

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